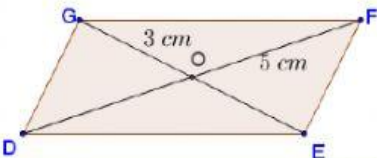
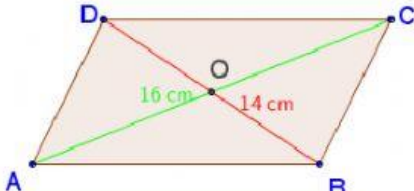
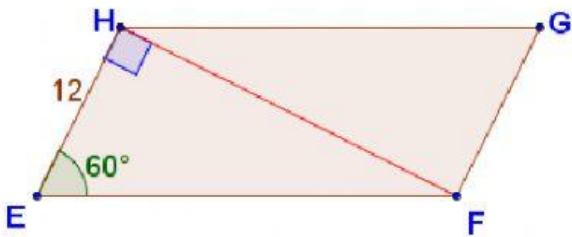
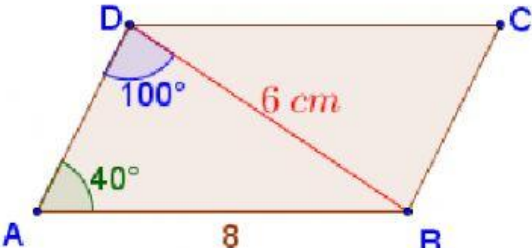


# PARALELOGRAMUL

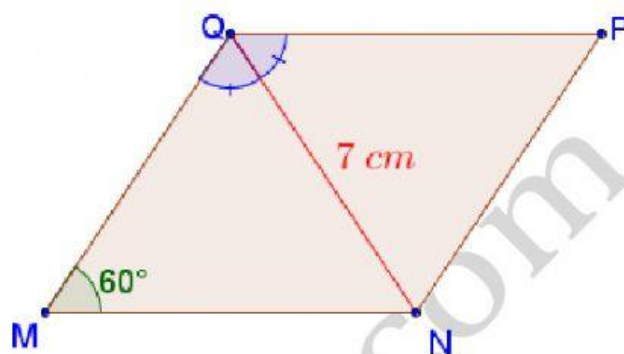
(fișă de lucru)

Prof. Lukacs Tiberiu

|                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                   |                                                                                                                                                                                                                                                                                                                                             |
|-----------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|---------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------------|
| <p>ip ABCD paralelogram<br/> <math>m(\sphericalangle A) = 50^\circ</math></p> <p>c <math>m(\sphericalangle B) =</math><br/> <math>m(\sphericalangle C) =</math><br/> <math>m(\sphericalangle D) =</math></p>                                                                                                                                                                                                                                                                                                                                     | <p>ip ABCD paralelogram<br/> <math> AB  = 12 \text{ cm}</math><br/> <math> BC  = 9 \text{ cm}</math></p> <p>c <math> CD  =</math><br/> <math> AD  =</math><br/> <math>P_{ABCD} =</math></p>                                                              |
| <p>ip DEFG paralelogram<br/> <math>GE \cap DF = \{O\}</math><br/> <math> GO  = 3 \text{ cm}</math><br/> <math> OF  = 5 \text{ cm}</math></p> <p>c <math> OE  =</math><br/> <math> DO  =</math><br/> <math> GE  =</math><br/> <math> DF  =</math></p>                                                                                                                                                                                                                                                                                            | <p>ip ABCD paralelogram<br/> <math>AC \cap DB = \{O\}</math><br/> <math> AC  = 16 \text{ cm}</math><br/> <math> DB  = 14 \text{ cm}</math></p> <p>c <math> AO  =</math><br/> <math> OC  =</math><br/> <math> DO  =</math><br/> <math> OB  =</math></p>  |
| <p>ip EFGH paralelogram<br/> <math>m(\sphericalangle E) = 60^\circ</math><br/> <math> EH  = 12 \text{ cm}</math><br/> <math>FH \perp EH</math></p> <p>c <math>m(\sphericalangle FGH) =</math> <math> EF  =</math><br/> <math>m(\sphericalangle EFG) =</math> <math> FG  =</math><br/> <math>\triangle EFH</math> este ..... <math> HG  =</math><br/> <math>m(\sphericalangle EFH) =</math> <math>P_{EFGH} =</math></p>                                                                                                                        |                                                                                                                                                                                                                                                                                                                                             |
| <p>ip ABCD paralelogram<br/> <math>m(\sphericalangle A) = 40^\circ</math>, <math>m(\sphericalangle ADB) = 100^\circ</math><br/> <math> DB  = 6 \text{ cm}</math>, <math> AB  = 8 \text{ cm}</math></p> <p>c <math>m(\sphericalangle ABD) =</math> <math> AD  =</math><br/> <math>\triangle ABD</math> este ..... <math> BC  =</math><br/> <math>m(\sphericalangle ABC) =</math> <math> DC  =</math><br/> <math>m(\sphericalangle BCD) =</math> <math>P_{ABCD} =</math><br/> <math>m(\sphericalangle BDC) =</math> <math>P_{BCD} =</math></p>  |                                                                                                                                                                                                                                                                                                                                             |

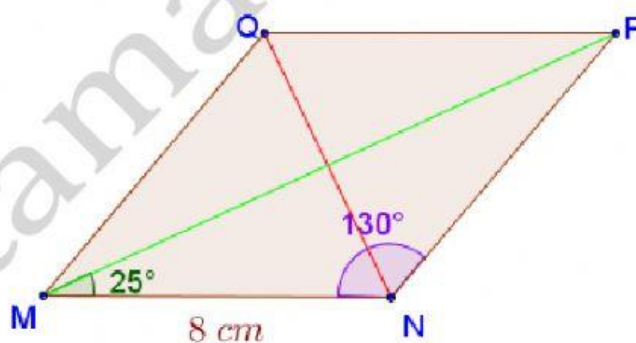
ip MNPQ paralelogram  
 $m(\sphericalangle M) = 60^\circ$   
 $|QN| = 7 \text{ cm}$   
 (QN bisectoarea  $\sphericalangle MQP$ )

c  $m(\sphericalangle MQP) =$   $|MN| =$   
 $m(\sphericalangle MQN) =$   $|MQ| =$   
 $m(\sphericalangle MNQ) =$   $|QP| =$   
 $\triangle MNQ$  este .....  $|NP| =$   
 $m(\sphericalangle QPN) =$   
 $P_{MNPQ} =$   
 $m(\sphericalangle QNP) =$



ip MNPQ paralelogram  
 $m(\sphericalangle NMP) = 25^\circ$   
 $m(\sphericalangle MNP) = 130^\circ$   
 $|MN| = 8 \text{ cm}$

c  $m(\sphericalangle MQP) =$   $|NP| =$   
 $m(\sphericalangle NPQ) =$   $|MQ| =$   
 $m(\sphericalangle NMQ) =$   $|QP| =$   
 $m(\sphericalangle NPM) =$   $P_{MNPQ} =$   
 $\triangle MNP$  este .....



ip ABCD paralelogram  
 $AC \cap DB = \{O\}$   
 $m(\sphericalangle AOB) = 110^\circ$   
 $m(\sphericalangle DAO) = 40^\circ$   
 $|AB| = 8 \text{ cm}, |AO| = 5 \text{ cm}$

c  $m(\sphericalangle AOD) =$   $|DC| =$   
 $m(\sphericalangle ADO) =$   $|AD| =$   
 $m(\sphericalangle BOC) =$   $|BC| =$   
 $m(\sphericalangle ACB) =$   $|AC| =$   
 $\triangle AOD$  este .....  $P_{ABCD} =$

