

MOTION (1 D & 2 D) WORKSHEET - 3

Q1) A hill is 500 m high. Supplies are to be sent across the hill using a canon that can hurl packets at a speed of 125 m/s over the hill. The canon is located at a distance of 800m from the foot of hill and can be moved on the ground at a speed of 2 m/s; so that its distance from the hill can be adjusted. What is the shortest time in which a packet can reach on the ground across the hill? Take $g = 10 \text{ m/s}^2$



Sol:

$$u_y = \sqrt{2gh} \geq \text{ } \text{ m/s}$$

$$u = 125 \text{ m/s}$$

$$\text{then } u_x = \text{ } \text{ m/s}$$

$$\text{time taken by the packet to reach the top of the hill, } t = \text{ } \text{ s}$$

$$\text{time taken to reach the ground on the other side of the hill is } \text{ } \text{ s}$$

$$\text{horizontal distance travelled during entire flight is } \text{ } \text{ m.}$$

$$\text{so the distance between canon and hill is } \text{ } \text{ m}$$

$$\text{the distance for which canon needs to move before hurl packets } \text{ } \text{ m}$$

$$\text{time taken for the canon to move on ground } \text{ } \text{ s}$$

$$\text{so the total time taken by the packet } \text{ } \text{ s}$$

Drag and Drop:

100

75

10

800

750

10

50

60

25

45

450

Q2) If $|\vec{A}| = 2$ and $|\vec{B}| = 4$, then match the relations in column I with the angle θ between A and B in column II.

Column I

column II

$A \cdot B = 0$



$\theta = 0^\circ$

$A \cdot B = 8$



$\theta = 90^\circ$

$A \cdot B = 4$



$\theta = 180^\circ$

$A \cdot B = -8$



$\theta = 60^\circ$

Q 3) Q2) If $|\vec{A}| = 2$ and $|\vec{B}| = 4$, then match the relations in column I with the angle θ between A and B in column II.

Column I

column II

$A \times B = 0$



$\theta = 30^\circ$

$A \times B = 8$



$\theta = 45^\circ$

$A \times B = 4$



$\theta = 0^\circ$

$A \times B = 4\sqrt{2}$



$\theta = 90^\circ$

References : NCERT