BGCSE EXTENDED - Vectors

1. The vectors p and q are defined as $p = \begin{pmatrix} -7 \\ 24 \end{pmatrix}$ and $q = \begin{pmatrix} 12 \\ -5 \end{pmatrix}$.

Find the column vector for

Ans: (i) 3q,

[1]

(ii) p - q

- [1]
- 2. The vectors **p** and **q** are defined as $\mathbf{p} = \begin{pmatrix} 12 \\ -5 \end{pmatrix}$ and $\mathbf{q} = \begin{pmatrix} -6 \\ 5 \end{pmatrix}$.

Calculate

(i) the column vector $\mathbf{p} + 2\mathbf{q}$,

Ans:			
Alls.			

- [2]
- **3.** \overrightarrow{OA} and \overrightarrow{OB} are position vectors relative to the origin O.

Given the points A(3, -1) and B(-1, 2)

write \overrightarrow{OA} and \overrightarrow{OB} as column vectors, (a)



[2]

express \overrightarrow{AB} as a column vector, (b)

Ans:			
Alis.			

[2]

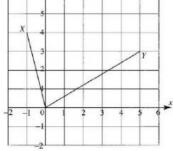
- **4.** The graph shows the position vectors \overrightarrow{OX} and \overrightarrow{OY} .
 - Write down the column vectors for \overrightarrow{OX} and \overrightarrow{OY} . (a)





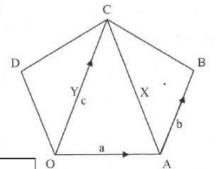
(b) Express XY as a column vector.





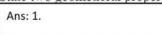
5.(a) Write and simplify an expression in terms of a, b and/or c for





(b) State two geometrical properties of XY and OA.

Ans:

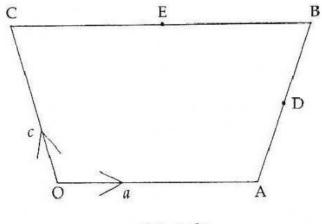


(iii)

 \overline{XY}

Ans: 2.





not to scale

In the figure, OABC is a trapezium with OA = a, OC = c and CB is paralled to, and twice the length of OA. The points D and E are the mid-points of AB and CB respectively.

(a)	Find,	in terms	of a and	or c

(b)

(c)

(d)

Ans:

(i)	→ CB,	Ans:	[1]
(ii)	→ CA,	Ans:	[1]
(iii)	→ AB,	Ans:	[1]
(iv)	→ DB,	Ans:	[1]
(v)	→ AE.	Ans:	[1]
Expi	→ ress ED in	n terms of a and c . Ans:	[2
		eometrical relationships between CA and ED our answers. Ans:	, giving

Give the special name of the quadrilaterial OAEC.

BLIVEWORKSHEETS

[1]