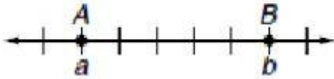
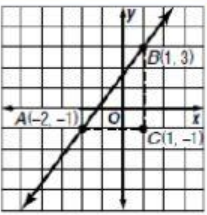


Attālums starp diviem punktiem

SR. Prot noteikt attālumu starp diviem punktiem.

Attālums starp diviem punktiem uz skaitļa ass.	Attālums starp diviem punktiem koordinātu plaknē
 $AB = b - a \text{ / } a - b $	Pitagora teorēma $a^2 + b^2 = c^2$ Attāluma formula $d = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$ 

1. Nosaki attālumu starp abiem punktiem.

- **A (0;0)** **B(6;8)**

$$d = \sqrt{(\quad - \quad)^2 + (\quad - \quad)^2} =$$

$$\sqrt{\quad^2 + \quad^2} = \sqrt{\quad} =$$

- **M (1; -2)** **N (9; 13)**

$$d = \sqrt{(\quad - \quad)^2 + (\quad - \quad)^2} =$$

$$\sqrt{\quad^2 + \quad^2} = \sqrt{\quad} =$$

- **R (-2;3)** **S (3;15)**

$$d = \sqrt{(\quad - \quad)^2 + (\quad - \quad)^2} =$$

$$\sqrt{\quad^2 + \quad^2} = \sqrt{\quad} =$$

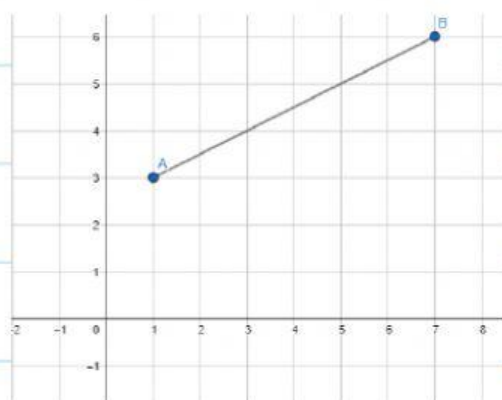
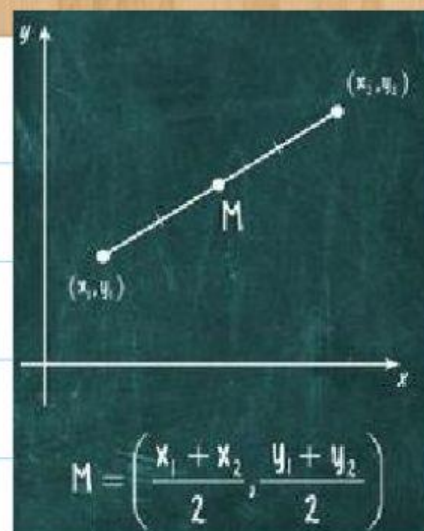
- **G (-12; 2)** **F (-9; 6)**

$$d = \sqrt{(\quad - \quad)^2 + (\quad - \quad)^2} =$$

$$\sqrt{\quad^2 + \quad^2} = \sqrt{\quad} =$$

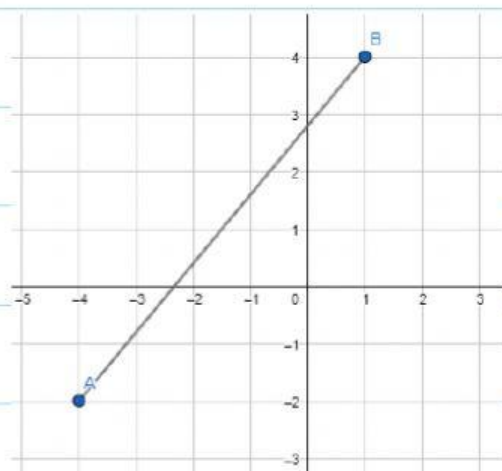
SR. Prot atrast nogriežņa viduspunkta koordinātas.

2. Nosaki Attēlā doto nogriežņu viduspunkta koordinātas.



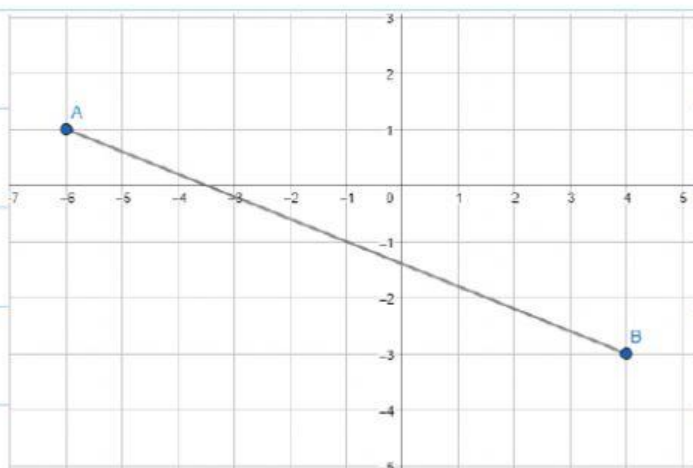
$$\left(\frac{\boxed{} + \boxed{}}{2}; \frac{\boxed{} + \boxed{}}{2} \right)$$

Viduspunkta koordinātes
(;)



$$\left(\frac{\boxed{} + \boxed{}}{2}; \frac{\boxed{} + \boxed{}}{2} \right)$$

Viduspunkta koordinātes
(;)



$$\left(\frac{\boxed{} + \boxed{}}{2}; \frac{\boxed{} + \boxed{}}{2} \right)$$

Viduspunkta koordinātes
(;)